

Towards virtual experiments: How well can we simulate existing instruments?

- HET – Update
- IN16 and IN14 at the beam line H53 at ILL
- Optimizing the beam line H112 at ILL

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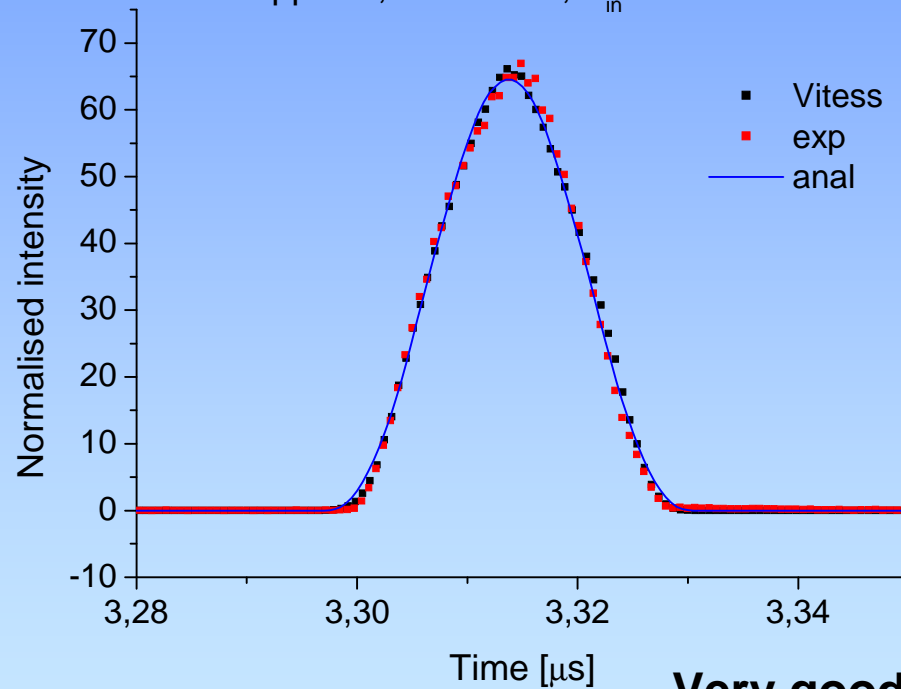
Using Fermi choppers to shape the neutron pulse

Better moderator description using MCNP

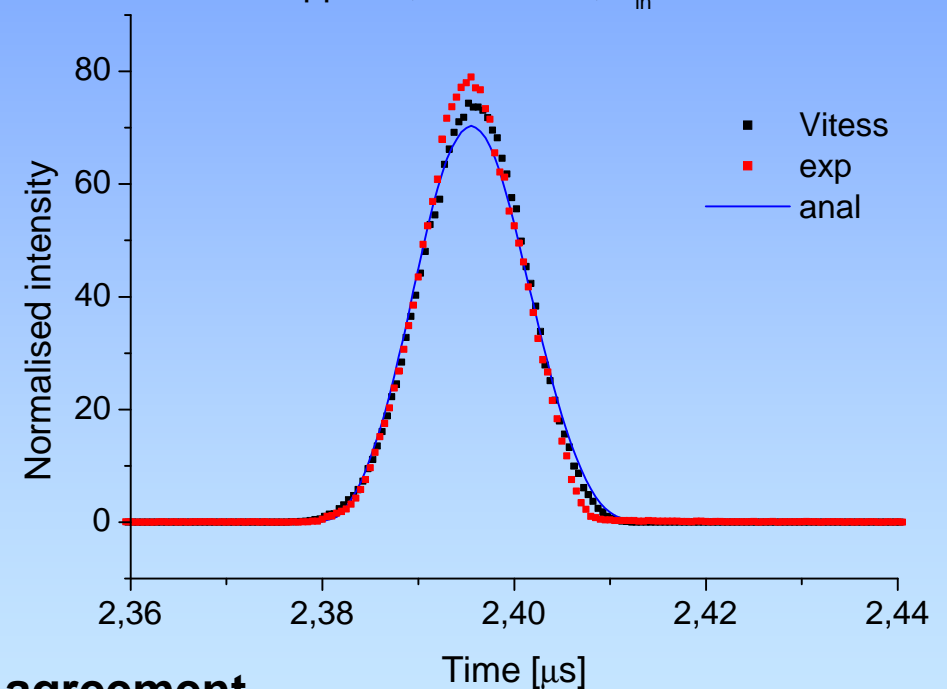
Improvement on the VITESS FC module

Correct geometrical description of the FC packages B and S

Chopper S, $f = 300$ Hz, $E_{in} = 49.2$ meV



Chopper B, $f = 150$ Hz, $E_{in} = 95.8$ meV



Very good agreement

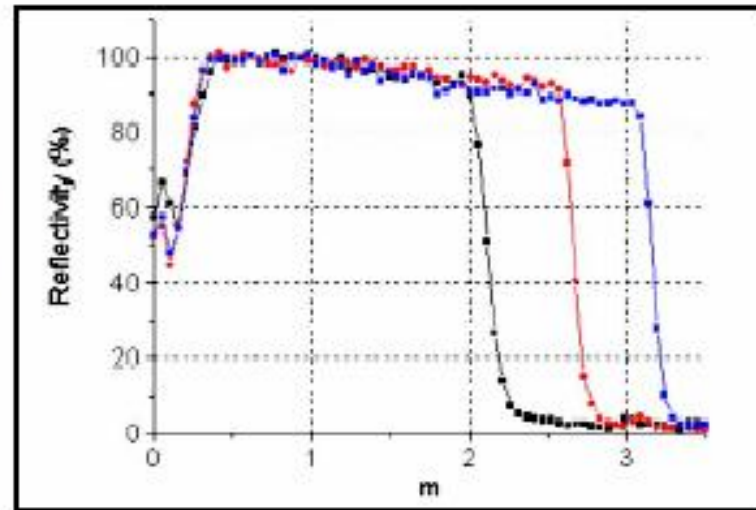
J. Peters, J.D.M. Champion, G. Zsigmond, H. N. Bordallo, F. Mezei to be submitted to NIMA

J. Peters, Nucl. Instr. Meth. Phys. Res. **A540** (2005), 419 - 429.

H.N. Bordallo, G. Zsigmond and J. D. M. Champion, Physica **B350** (2004), e717 – e719.

Average Reflectivity Under Production Conditions

$m = 2$	92 %
$m = 2.5$	89 %
$m = 3$	84 %



Taken from

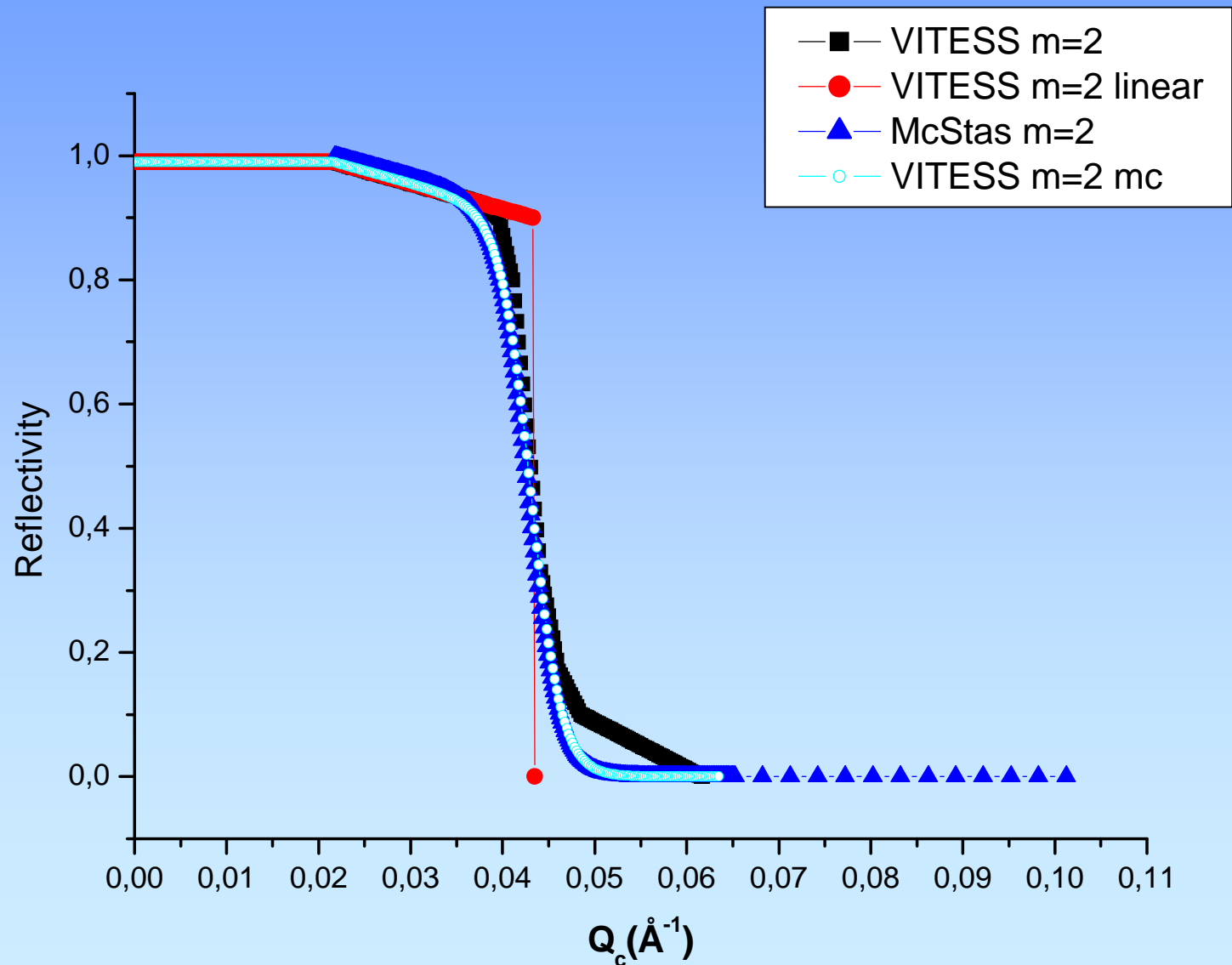
<http://www.lesker.com/newweb/Downloads/pdf/mirrortron.pdf>

$$R = \begin{cases} 1 & Q < Q_c \\ \frac{1}{2}(1 - a(Q - Q_c)) & Q > Q_c \end{cases}$$

$$(1 - aQ_c) = R$$

for example, if $\alpha = 4.5$ $R = 0.9$

Equal SM descriptions in McStas and VITESS



The intensity distribution in a long curved guide as function of l

- Idea: how accurate is the description of a curved guide?
- Action: check the Maier-Leibnitz guide formula
- Result: guide description seems to be ok

The critical parameters of a long curved guide

$$g^* = (2a/r)^{1/2};$$

g^* = characteristic angle;

With $k^* = k_{\perp} / k^*$ we get:

$$k^* = k_{\perp} (2a/r)^{-1/2};$$

k^* = characteristic k-vector;

With $l^* = 2\pi / k^*$ we get:

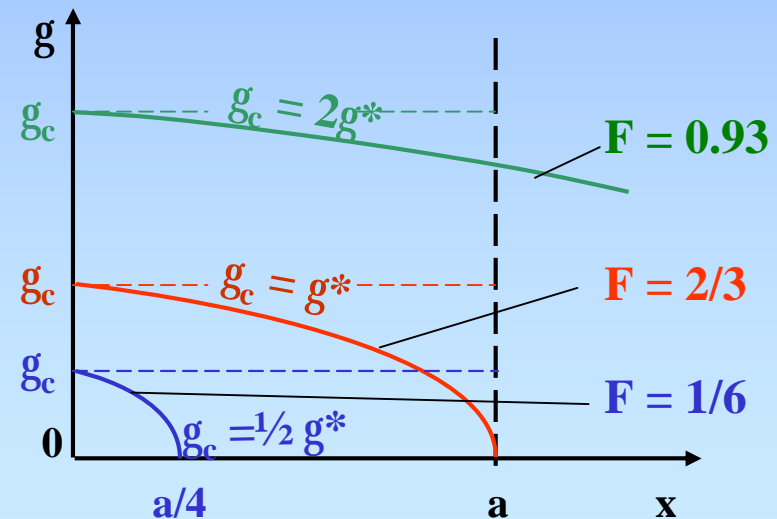
$$l^* = 2\pi (2a/r)^{1/2} / k_{\perp};$$

l^* = characteristic wavelength;

Filling factor F (intensity ratio curved guide/straight guide): $F \left[g = (g_c^2 - 2x/r)^{1/2} / g = g_c \right]$

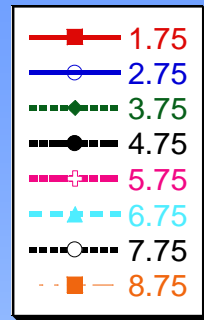
$$F = \frac{1}{a g_c} \int_0^{a^*} dx g = \frac{1}{a} \int_0^{a^*} dx \sqrt{g_c^2 - \frac{2x}{r}} = \frac{2x}{r g_c^2} \Big|_0^{a^*}$$

$$\begin{aligned} a^* &= a & \text{for } g_c \geq g^*; \\ a^* &= r g_c^2 / 2 & \text{for } g_c < g^*; \end{aligned}$$

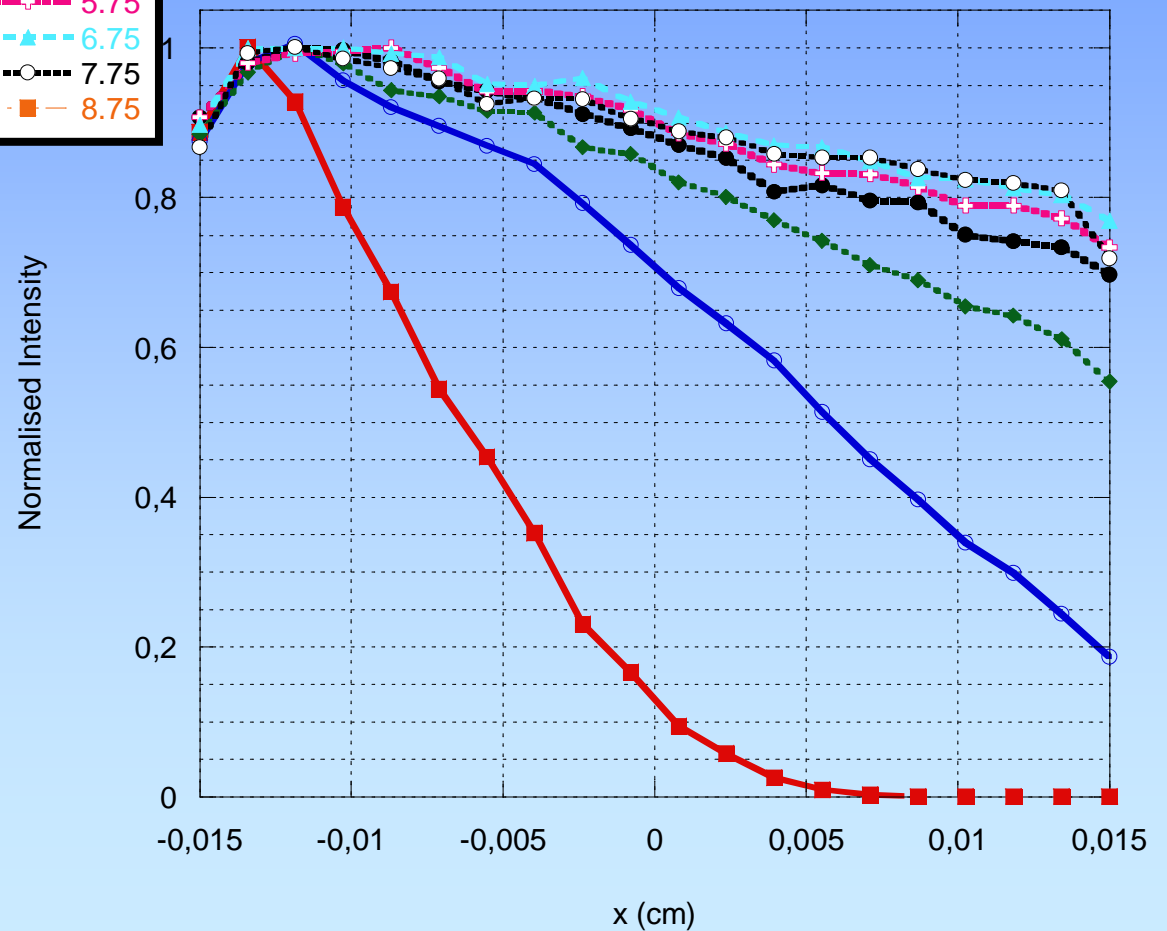


$$F(g_c = g^*) = 2/3; \quad F(g_c = 2g^*) = 0.93; \quad F(g_c = g^*/2) = 1/6;$$

Simulations were performed for a 100m long curved guide, divided in 50,100 and 200 pieces with $R = \rho = 2700$ m, width $x = 0.03$ m and height = 0.12 m, giving a critical wavelength, $\lambda_c = 2.7\text{\AA}$.

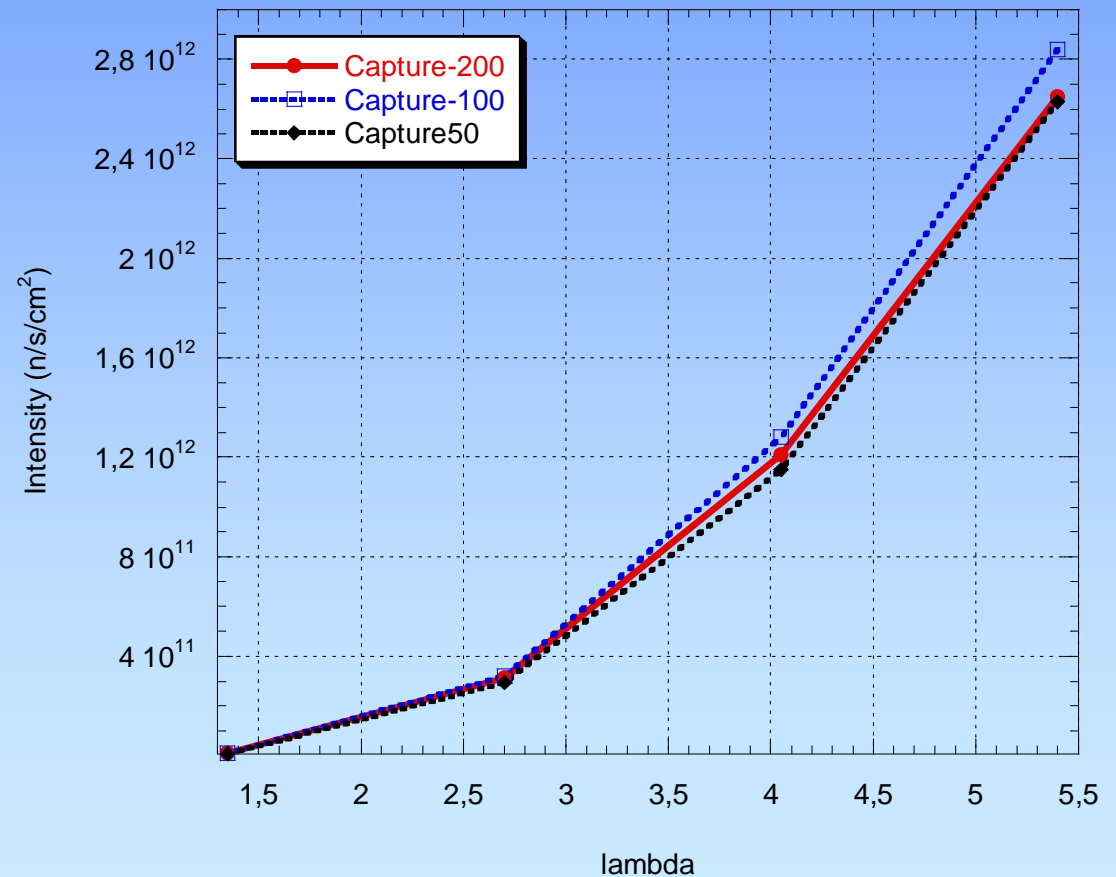


Using in McStas a 100m long guide with $R=2700$ m
 $W=3$ cm vs $H=12$ cm



- A 100 m long curved guide made of 100x1m pieces without gaps in between the pieces seems to be the optimized design.
- The increase of gaps can decrease the intensity. Over 100 m a total gap of 2m can cause a loss of at least 5% in the total flux.

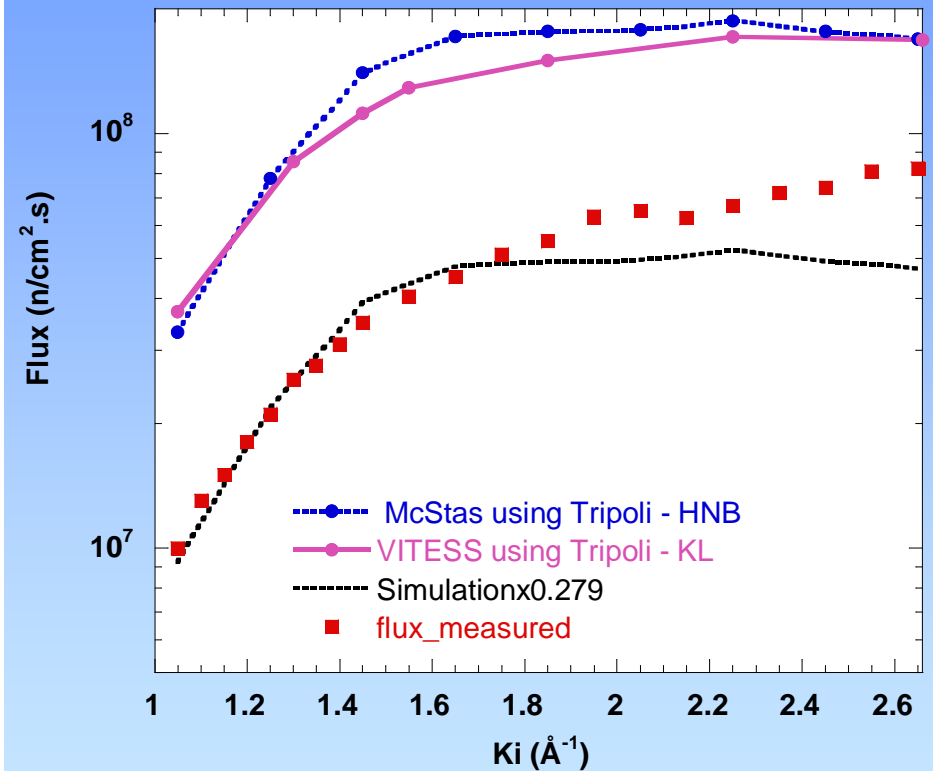
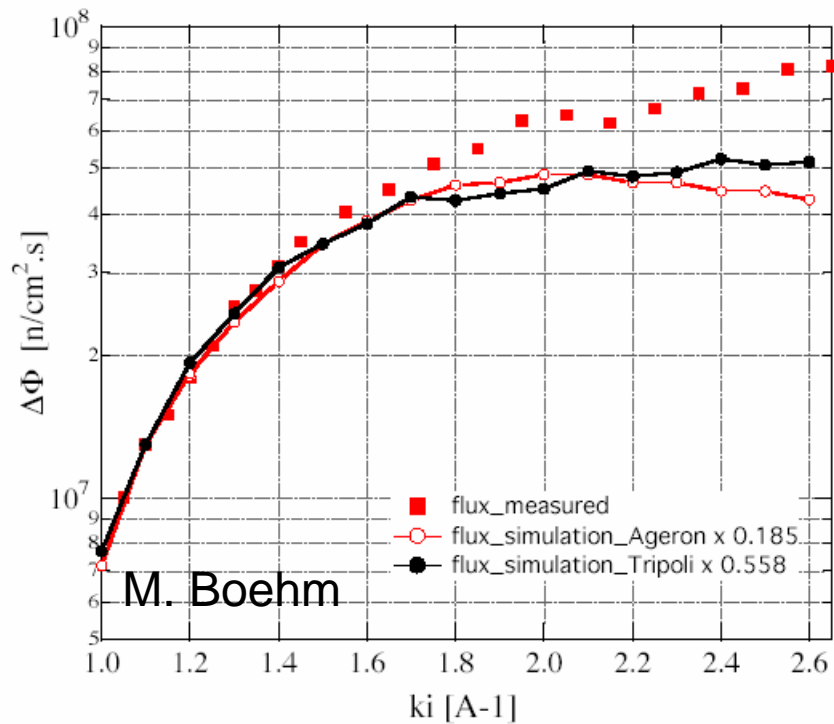
Intensity vs number of pieces
100 m log curved guide - R=2700m
W=3cm; H=12cm no gaps between pieces



The beam line H53 at ILL

- Goal 1: benchmark the backscattering IN16
- Goal 2: simulate the new IN16b and decide the best position and guide design
- Need 1: accurate capture flux as well as monochromatic flux
- Need 2 : accurate description of the divergence

IN14: Check the source description



Tripoli calculations: G. Campioni, Thèse de 3eme cycle universitaire, CEA-Saclay-France 2004

H53 – Preliminary results

- With Tripoli we can estimate quite well the capture flux
- The evolution of the shape of monochromatic wavelength can be described; the intensity is too high

The beam line H112 at ILL

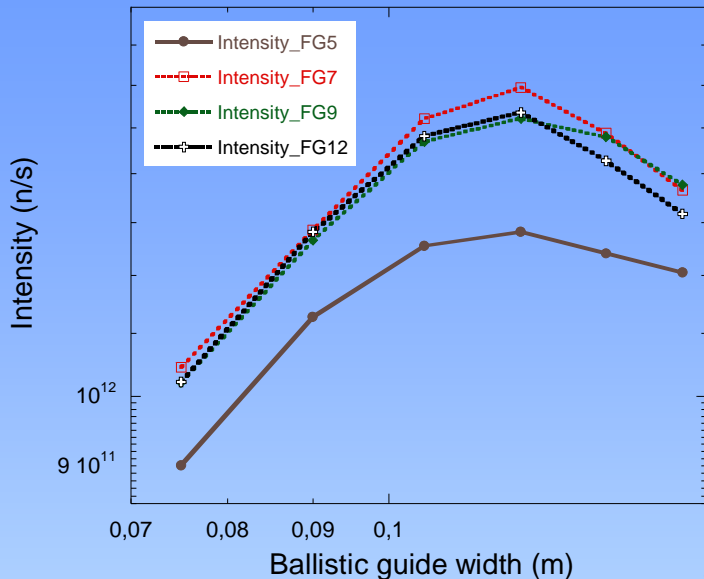
- Goal 1: optimization of the guide design
- Goal 2: simulate the new IN16b based on various possibilities for the guide layout
- Need 1: accurate capture flux as well as monochromatic flux
- Need 2 : accurate description of the divergence



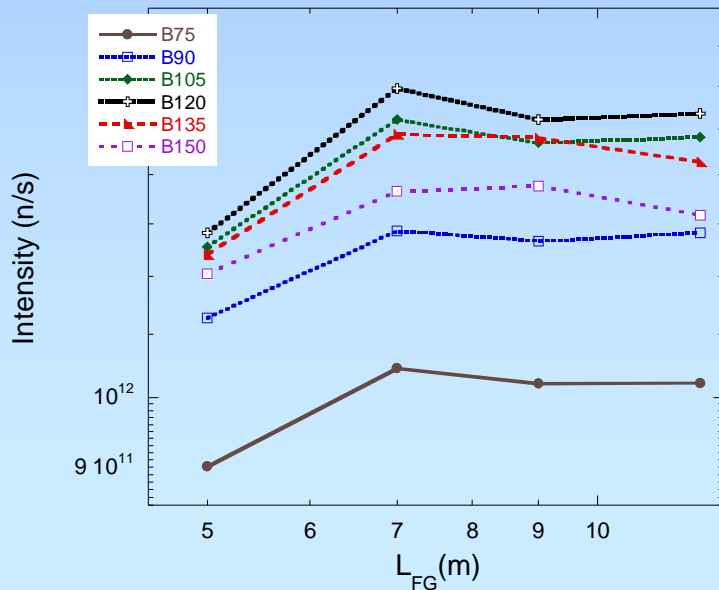
Position (m)	McStas_curvedguide Intensity (n/s) Source_gen:VCS	McStas_guide Intensity (n/s) Source_gen:VCS	VITeSS_window Intensity (n/s) Source_gen:VCS
2.335	1.40e⁺¹²	1.40e⁺¹²	1.37e⁺¹²
5.505 (6.6x12cm²)	4.16e⁺¹¹	4.16e⁺¹¹	3.87e⁺¹¹
5.826 (6.0x12cm²) converging	3.94e⁺¹¹	3.94e⁺¹¹	3.76e⁺¹¹
11.905 diverging	3.03e⁺¹¹	3.03e⁺¹¹	3.06e⁺¹¹
20.366 curved	2.81e⁺¹¹	2.36e⁺¹¹	2.85e⁺¹¹
28.340 curved	2.63e⁺¹¹	2.19e⁺¹¹	2.71e⁺¹¹
31.227 curved	2.51e⁺¹¹	2.09e⁺¹¹	2.64e⁺¹¹
91.227 (9x12 cm²)	1.92e⁺¹¹	1.65e⁺¹¹	2.07e⁺¹¹
Flux n/s.cm² for 6Å (5-7Å)	1.78e⁺⁹	1.53e⁺⁹	1.91e⁺¹⁰
98.227 (2.5x2.5cm²)	6.05e⁺¹⁰	5.92⁺¹⁰	6.89⁺¹⁰
Flux n/s.cm² for 6Å (5-7Å)	9.67⁺⁹	9.47⁺⁹	1.1 e⁺¹⁰

Performance of ballistic guides

95 m until FG, Ballistic Guides at $\lambda = 6.271 \text{ \AA}$



95 m until FG, Ballistic Guides at $\lambda = 6.271 \text{ \AA}$



Guide entrance : $6.6 \times 12 \text{ cm}^2$

$L' \sim 3 \text{ m}$

Guide exit: $6 \times 12 \text{ cm}$

Guide diverging part: $6 \times 12 \text{ cm}^2$

$L_1 = \text{Opens over } 12 \text{ m to } 9 \text{ cm}$

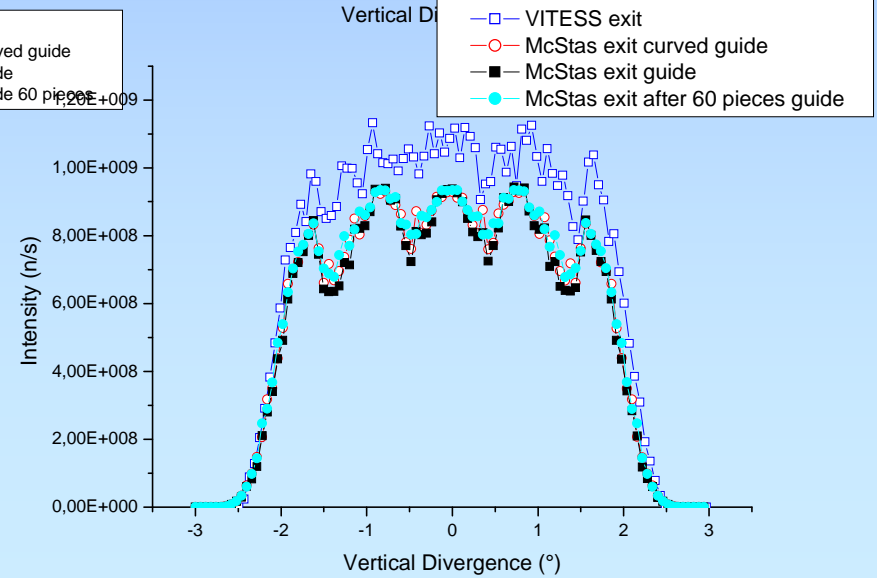
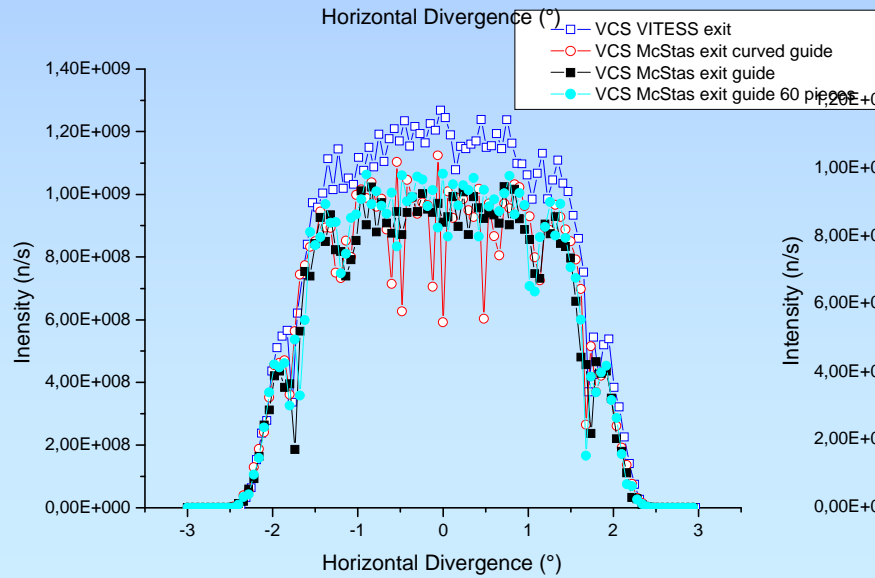
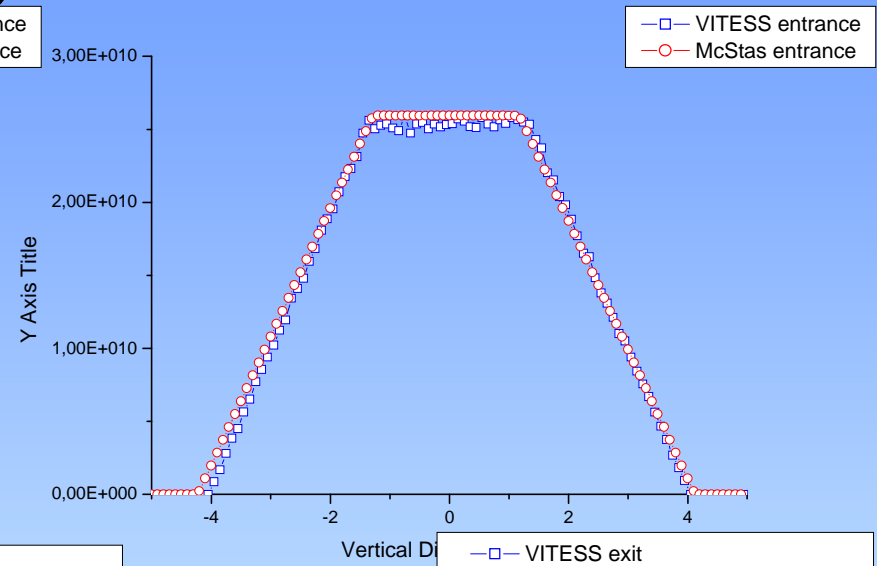
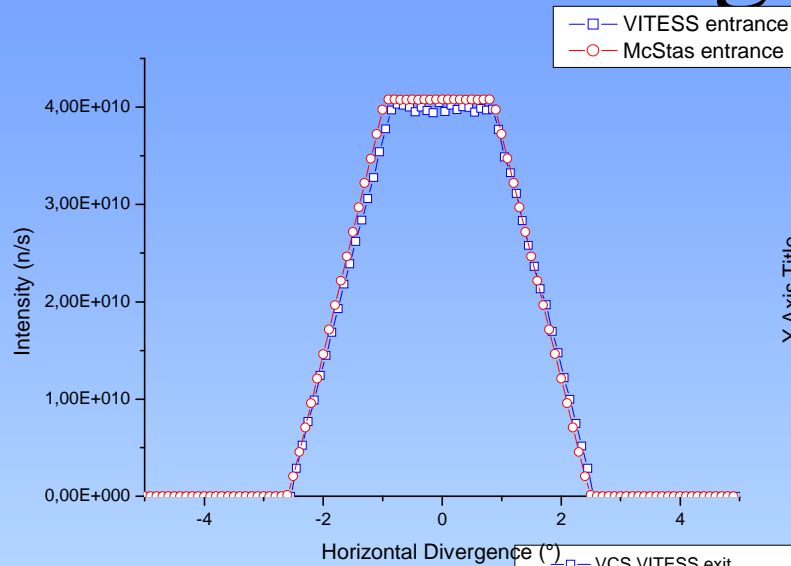
Varies if we want to open more

Focus guide exit: $2.5 \times 2.5 \text{ cm}^2$

$L_{\text{total}} = 100 \text{ m}$

Procedure of optimization: K.H. Anderson

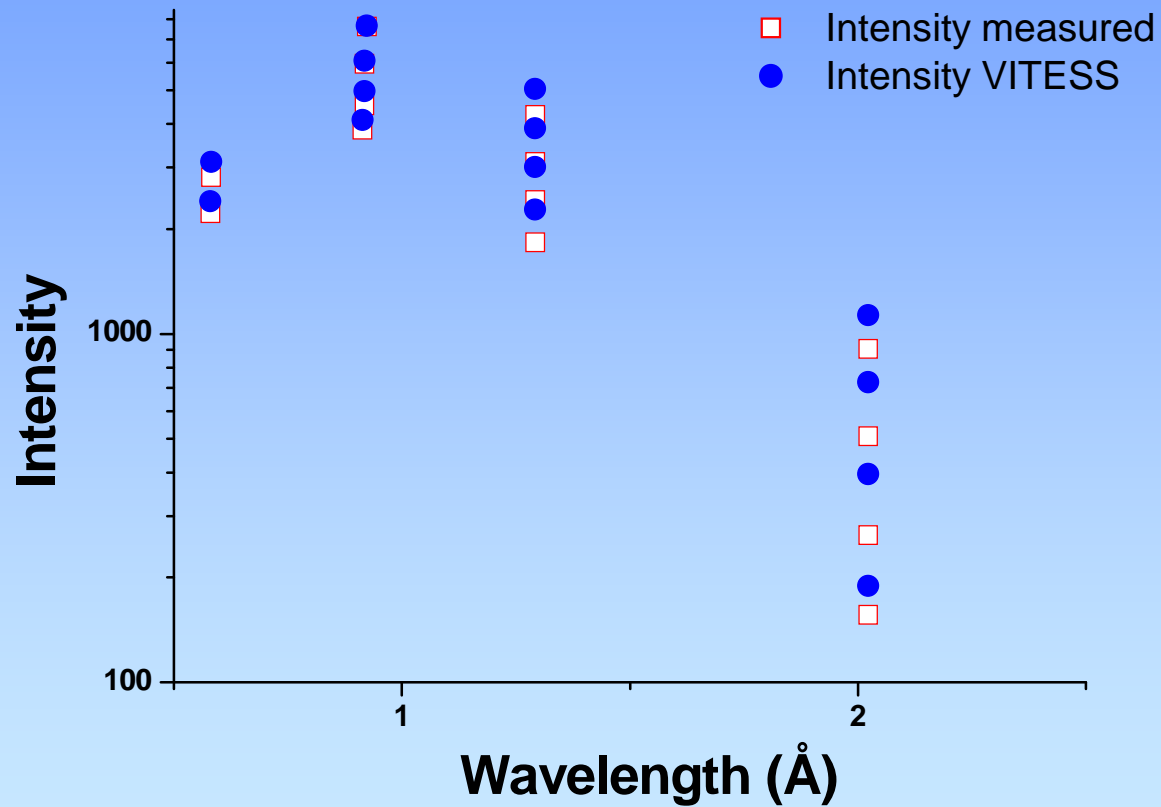
H112 – divergence for $\lambda=6\text{\AA}$



H112 – Preliminary results

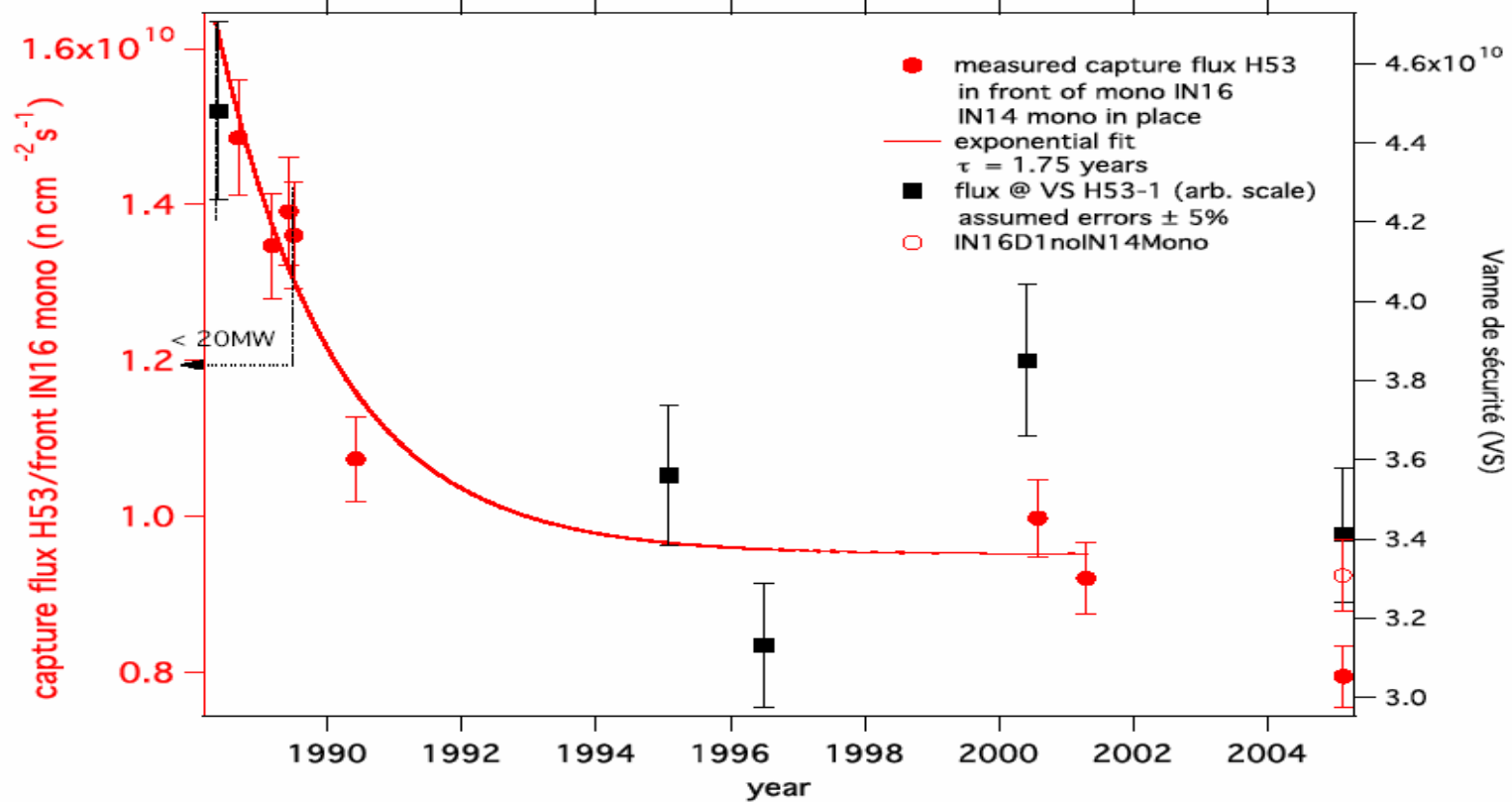
- With an optimized ballistic guide a flux improvement of about 60% can be obtained. Initial calculations by Tilo Seydel using an elliptical guide seems to show that the performance of the instrument could be improved.
- Angular distribution of neutrons exiting the converging guide in the horizontal and vertical directions, is about the same using both packages:
 - i) for 6\AA on gets horizontal divergence $\sim 3.5^\circ$ and vertical divergence about 4° ,
 - ii) for 3\AA horizontal divergence = vertical divergence $\sim 2^\circ$,
- However at some points the profile of the distribution is different. It is very important to understand the origin of such discrepancy.

Question 1



Integral Intensities: $I_{\text{VITESS}} = \text{factor} * I_{\text{measured}}$
factor: [0.95, 1.5]

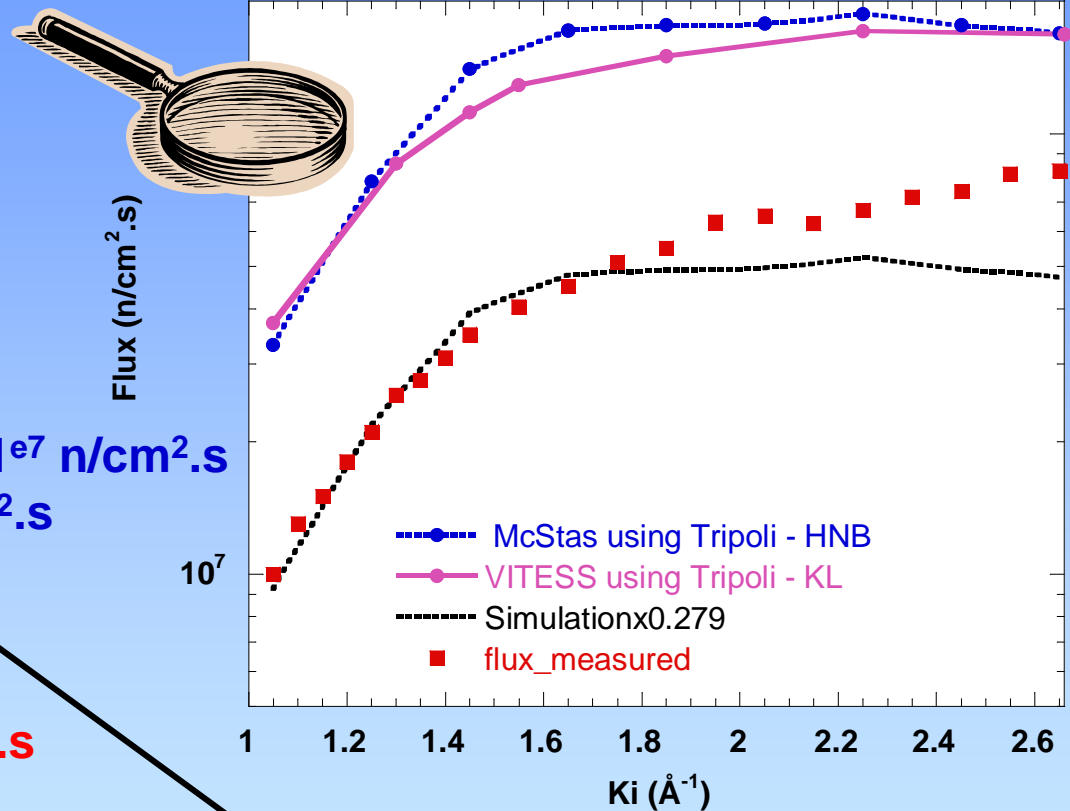
Question 2



Questionable accuracy on the gold foil measurements?

Question 3

Should we consider a normalization factor? Why?

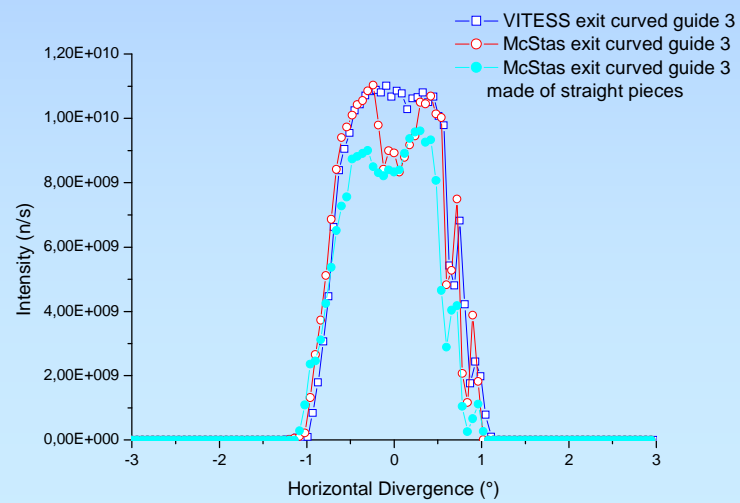
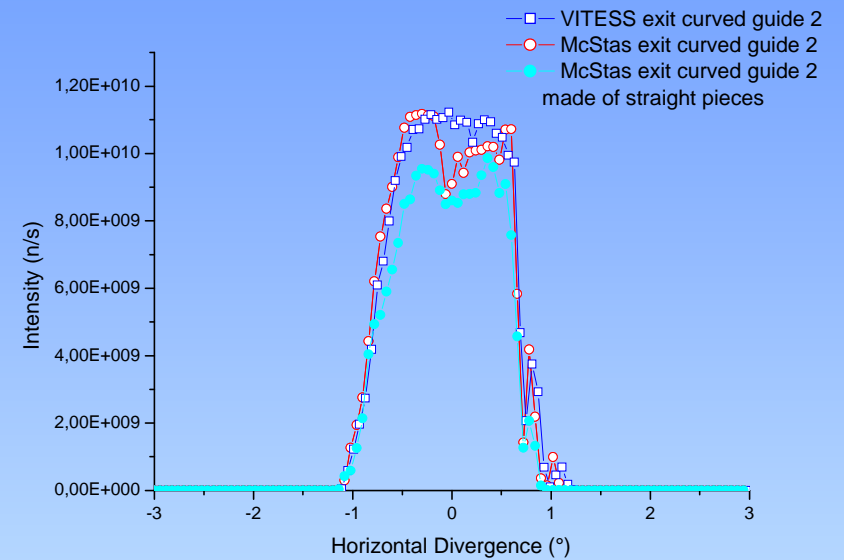
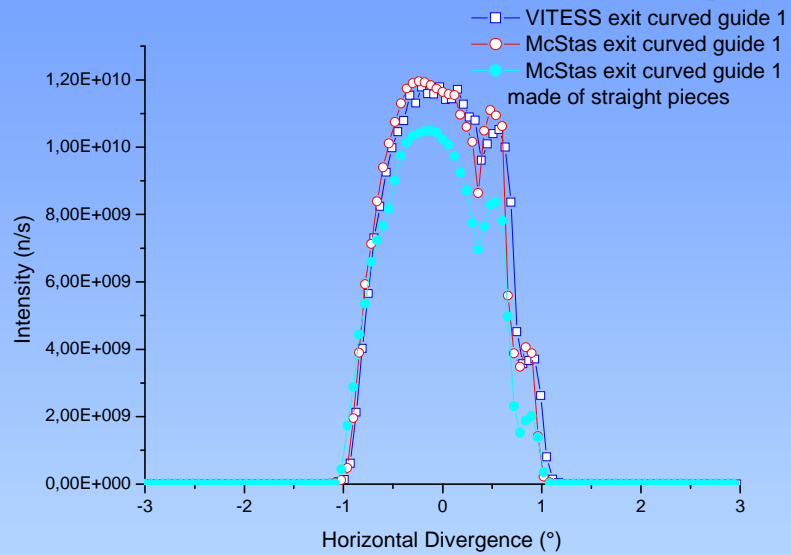


For $k_i=1.05\text{\AA}^{-1}$ (1 ~6Å)
 Flux measured at sample = 1e^7 n/cm².s
 Flux simulated ~ 3.5e^7 n/cm².s

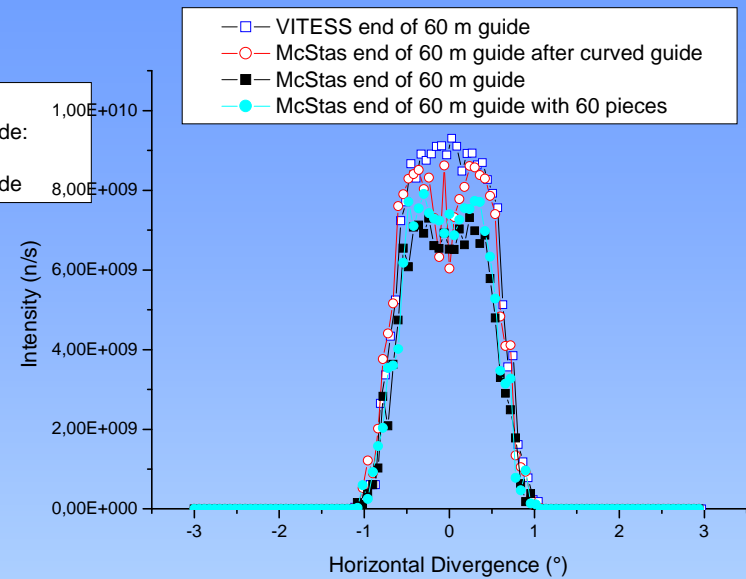
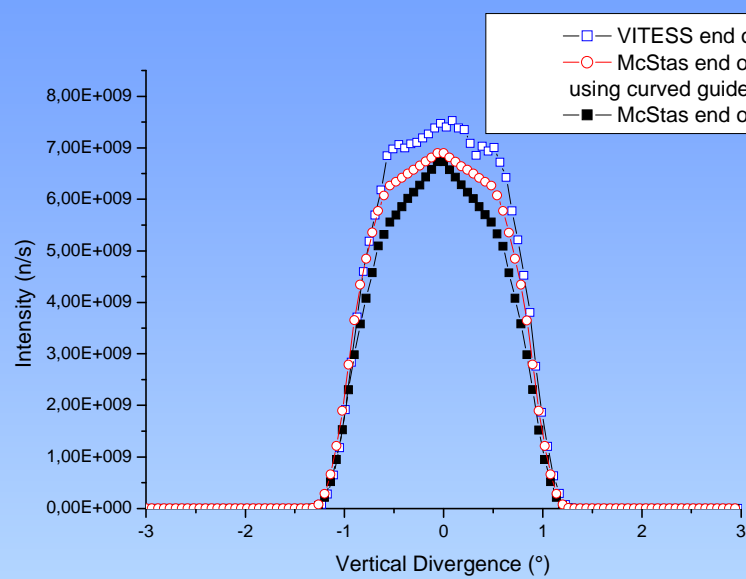
$\sim 2\text{e}^7$ n/cm².s

IN16 position @ exit FG	$\sim 1.5\text{e}^7$	3.14e^8	2.98e^8	No filter, no chopper, no losses due to time
IN16 position @exit FG	$\sim 1.5\text{e}^7$	7.3e^7	7e^7	Too high!

Question 4



Question 4 cont.

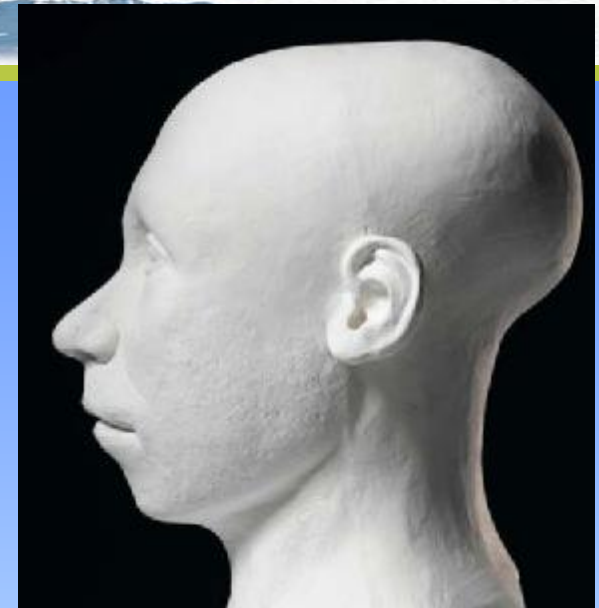


binning effect???

Face of Tutankhamun reconstructed



The French team created this image of the young king (image: Conseil supérieur des antiquités égyptiennes)



The US team were not told where the skull came from (image: Conseil supérieur des antiquités égyptiennes)

"The results of the three teams were identical or very similar in the basic shape of the face, the size, shape and setting of the eyes, and the proportion of the skull..."

"The primary differences were in the shape of the end of the nose and ears..."

The French and American versions had similar noses and chins, but the Egyptian team gave their reconstruction a stronger nose...

Acknowledgments

- **HET**

J. Peters – HMI

G. Zsigmond – now at PSI

J.D.M. Champion – ISIS

- **H53 and H112 guides (simulations, details)**

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K. Lieutenant– ILL

E. Fahri – ILL

B. Frick - ILL

M. Boehm and A. Wildes–ILL

I. Sutton - ILL

- **Guides**

K. Anderson

R. Gahler